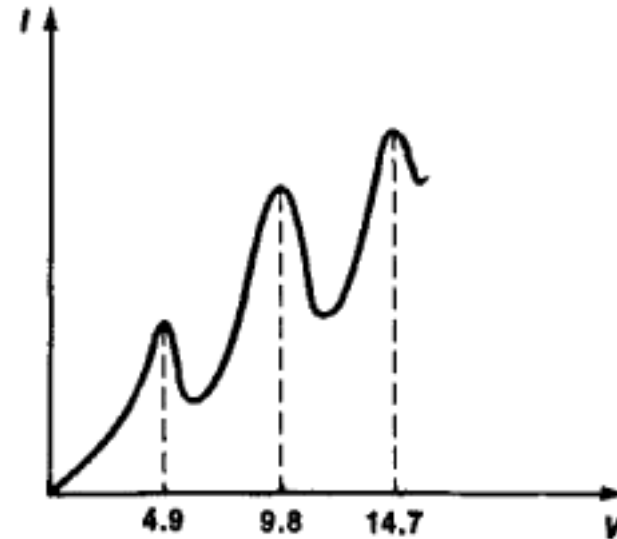
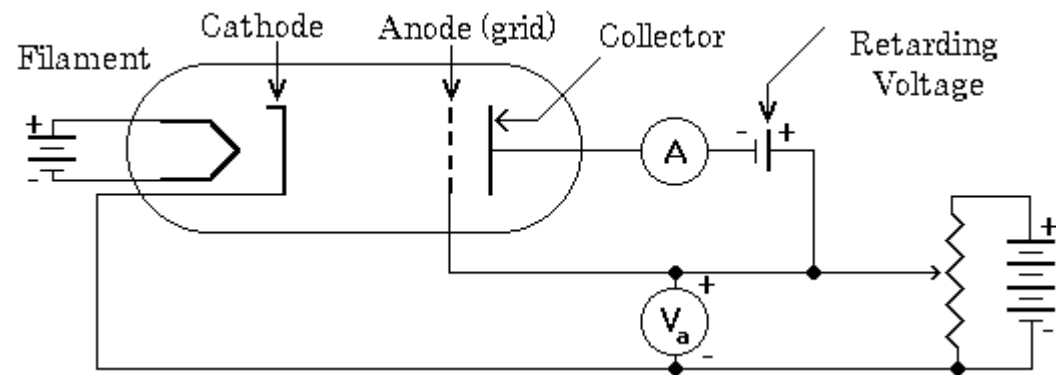


# Exploring the Franck-Hertz Curve

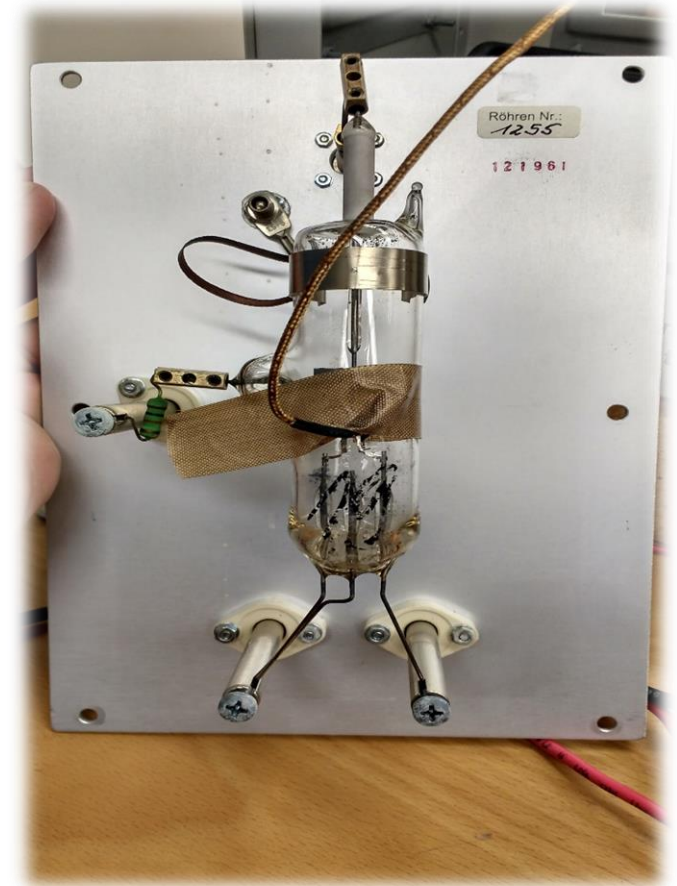
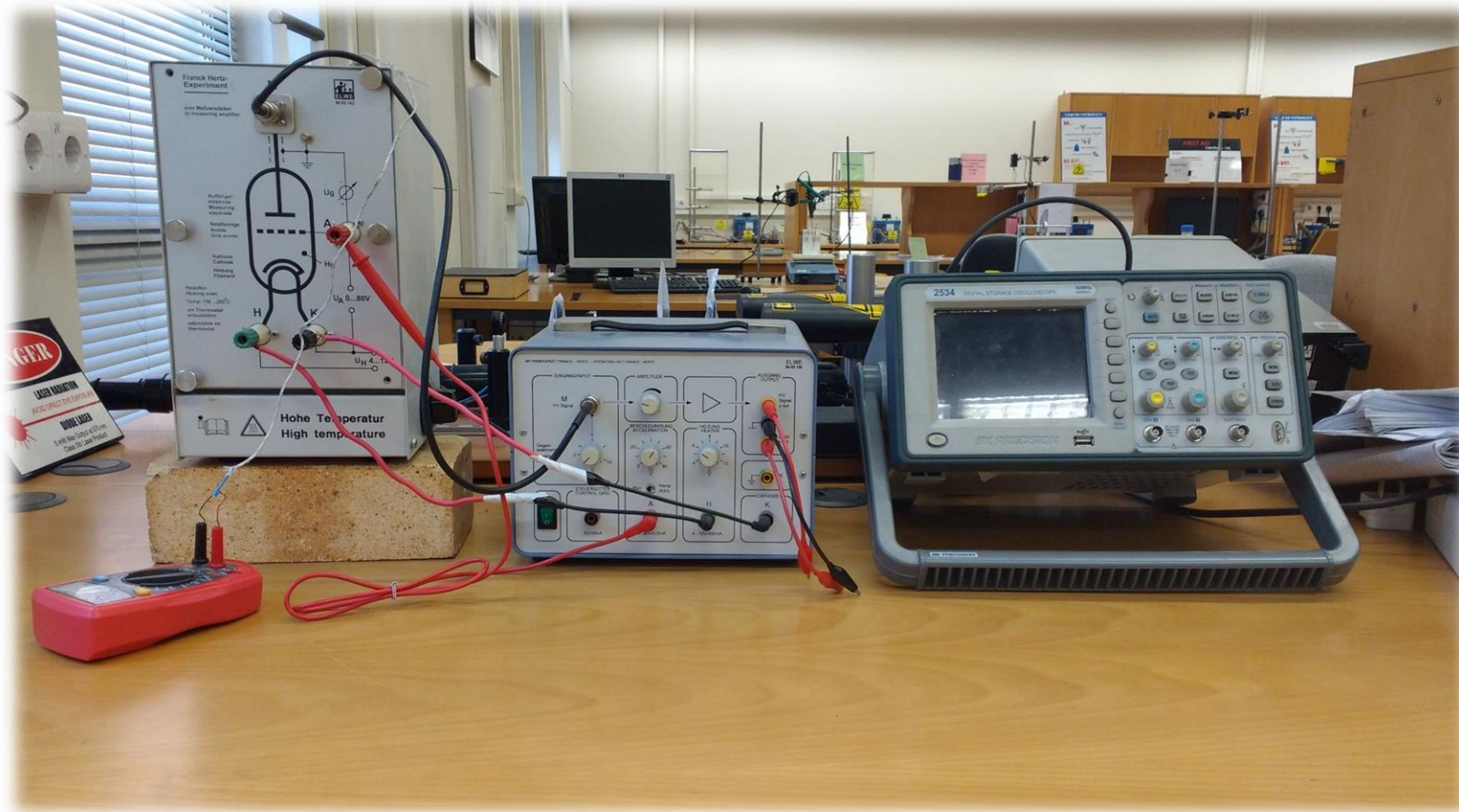
Ateeq, Bilal and Hamza

# Introduction

- Initially used to prove quantization of energy inside atoms
- Noble Prize in 1925

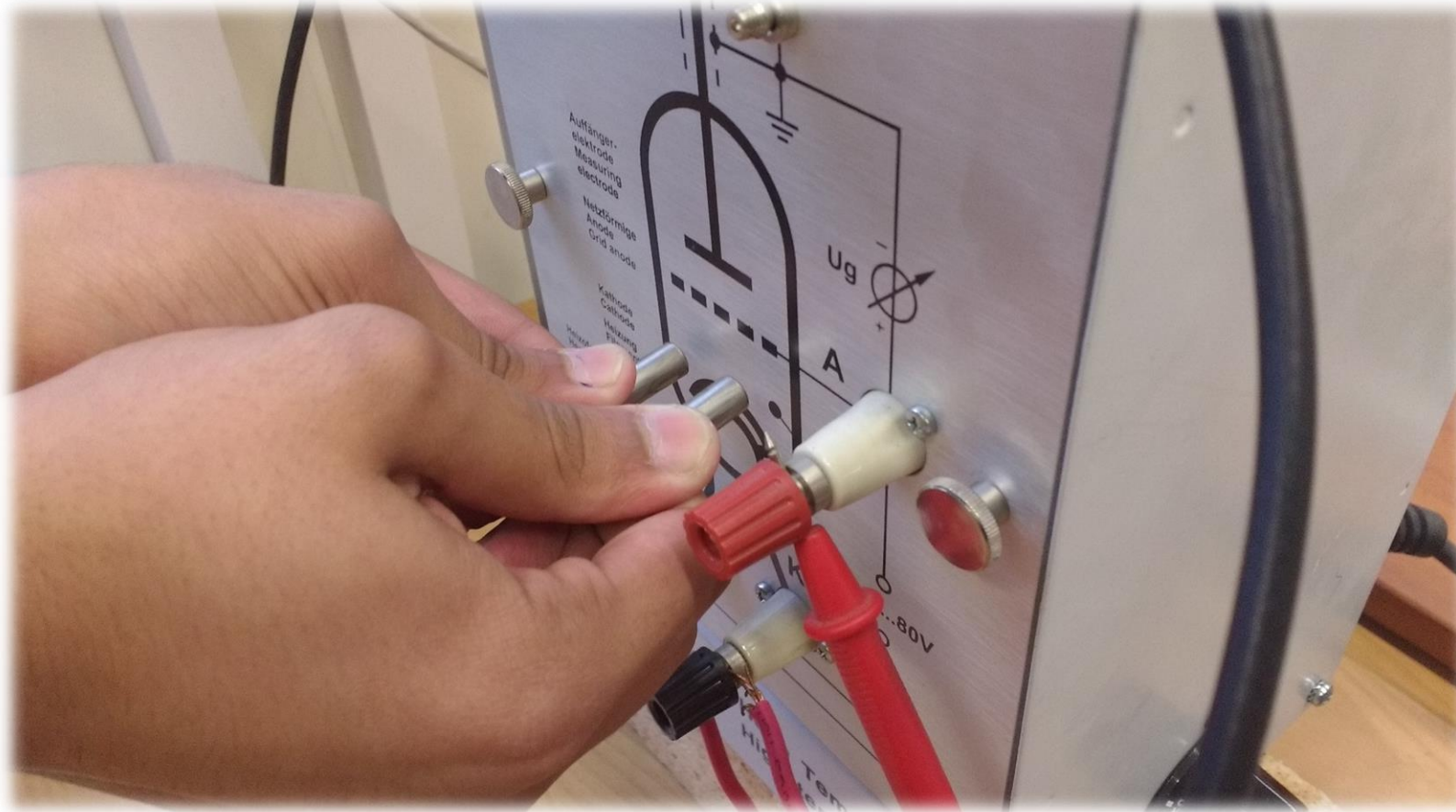


# Experimental Setup

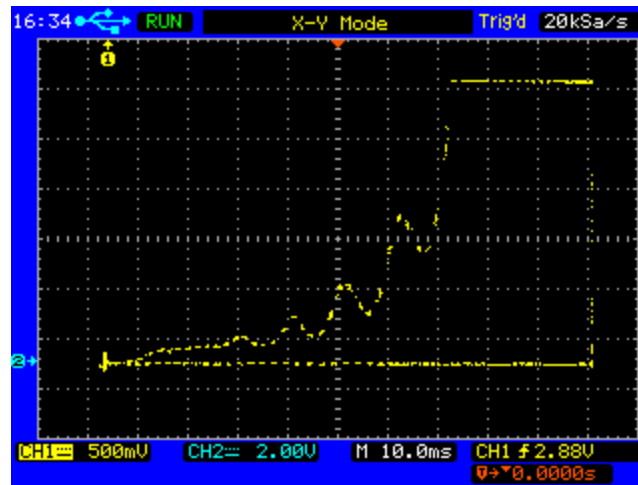


# Effect of Magnetic Field

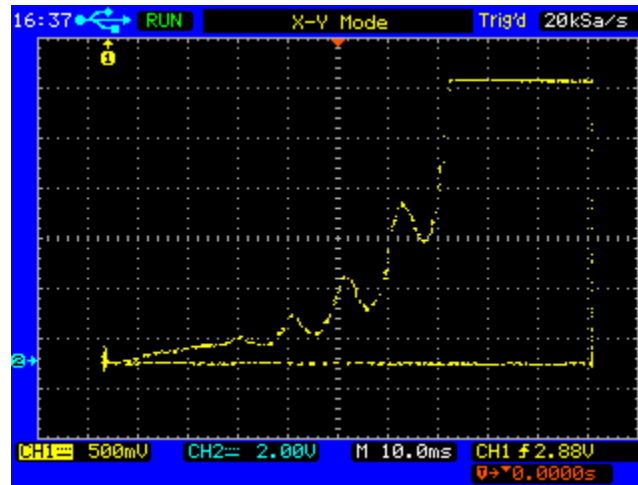
How did we apply mag. Field?



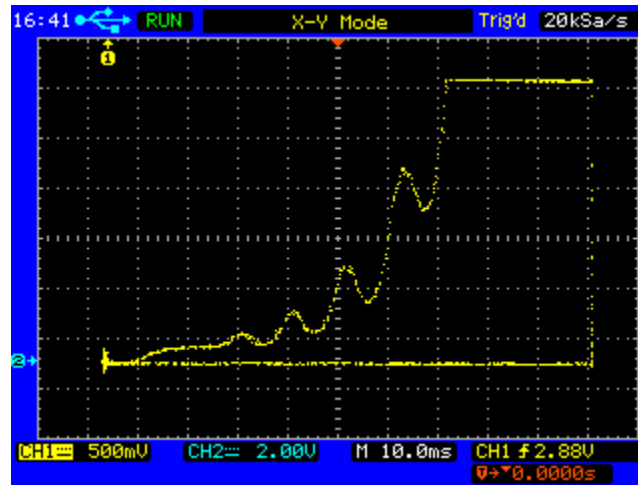
# No magnet



# 1 magnet

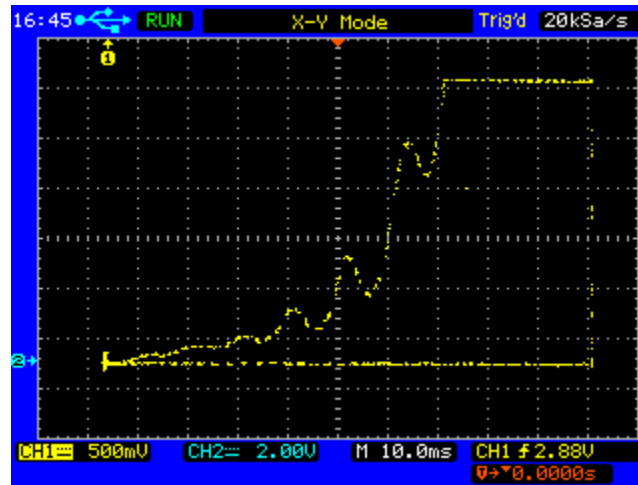


# 2 magnets





# 3 magnets



# Probabilities using Franck-Hertz

# Our Mathematical Model

$$K_{avg} = \sum_{i=0}^n \left( \left[ \prod_{j=0}^i P_j \right] \cdot [1 - P_{i+1}] \cdot [(K_o + eV) - iE_o] \right)$$

- $K_{avg}$  is the average kinetic energy of electrons reaching the collector
- $E_o$  is the 1<sup>st</sup> excitation energy of mercury
- $n$  is the maximum number of inelastic collisions possible under a given anode potential  $V$
- $P_i$  is the probability that electron will undergo an inelastic collision with an atom after it has become capable of excitation for the  $i$ th time

# Its important to understand these Probabilities $P_1, P_2, P_3 \dots$

- Once electron is capable of excitation then  $P_1$  is the probability that electron will undergo an inelastic collision before leaving the tube.
- Once electron is capable of 2<sup>nd</sup> excitation then  $P_2$  is the probability that electron will undergo 2<sup>nd</sup> inelastic collision before leaving the tube.
- And so on ...

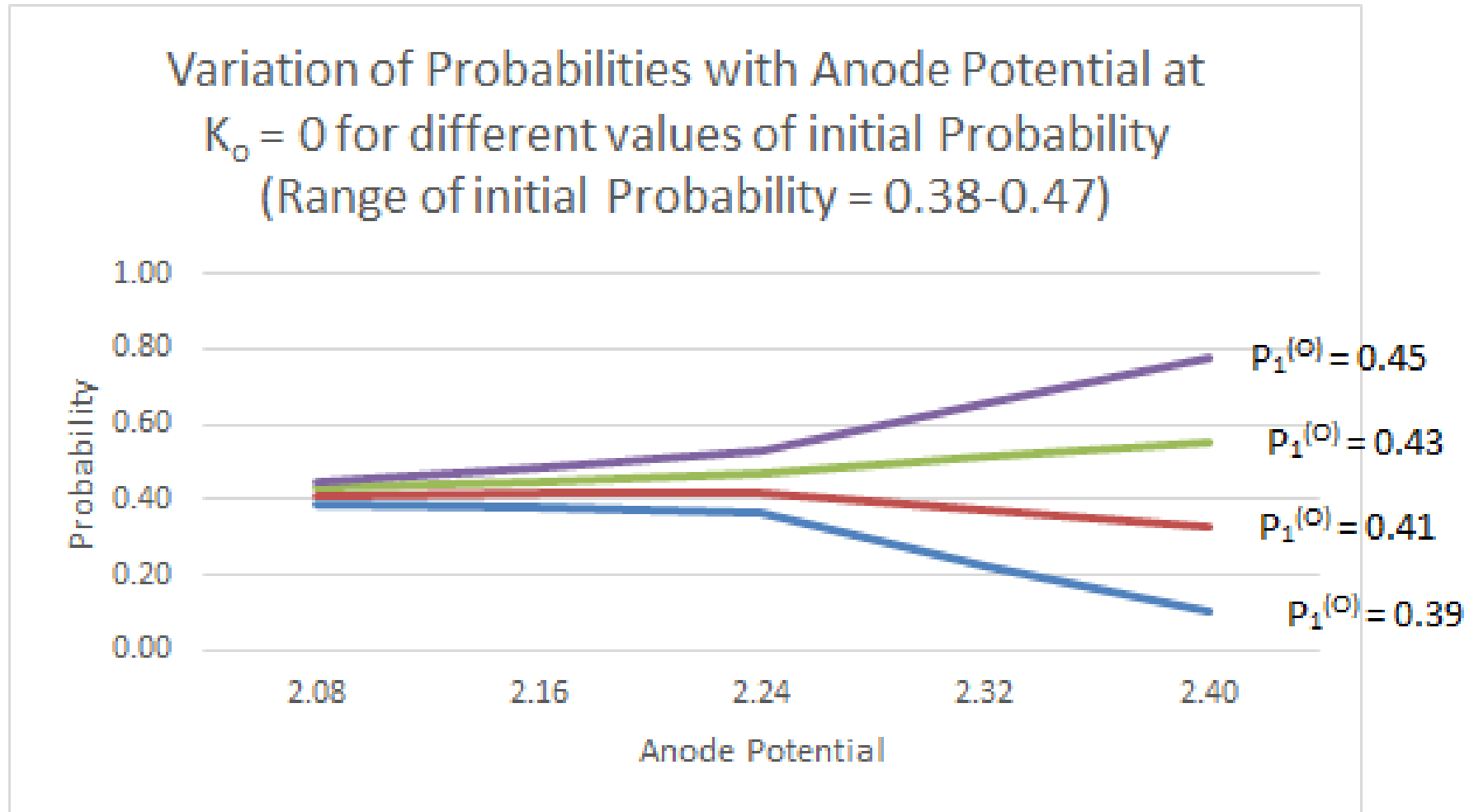
# Modeling Probabilities

- Variation of  $P_1$  with anode potential  $V$
- For  $n=1$ :  $K_{\text{avg}} = (K_0 + eV) - P_1 E_0$
- By simple mathematics we found that:

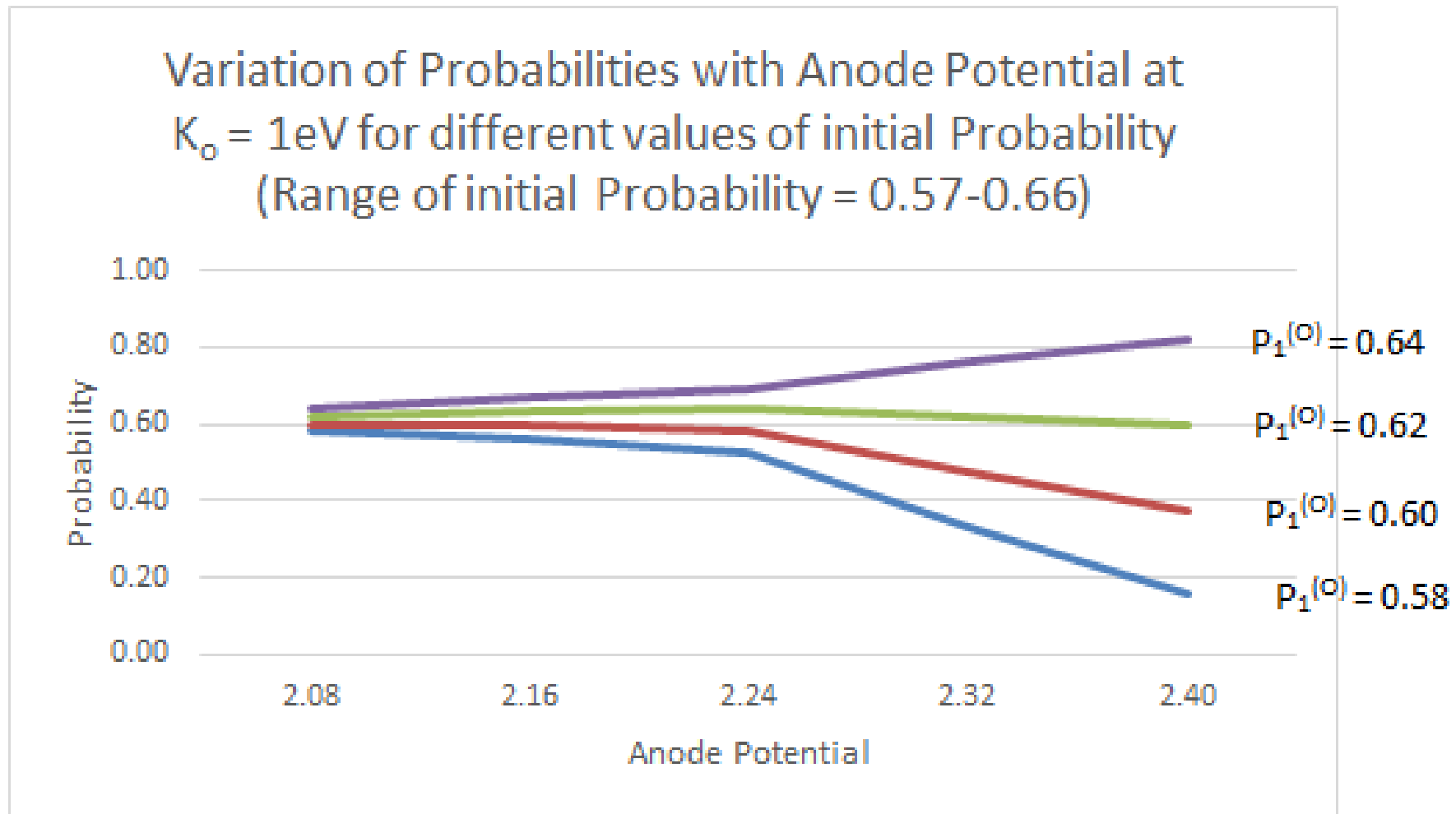
$$P_1 = \left(\frac{i}{i_0}\right)^2 P_1^{(0)} + \left[\frac{1}{E_0}((K_0 + eV) - \left(\frac{i}{i_0}\right)^2 (K_0 + eV_0))\right]$$

- $i$  is the collector current
- $V$  is the anode potential

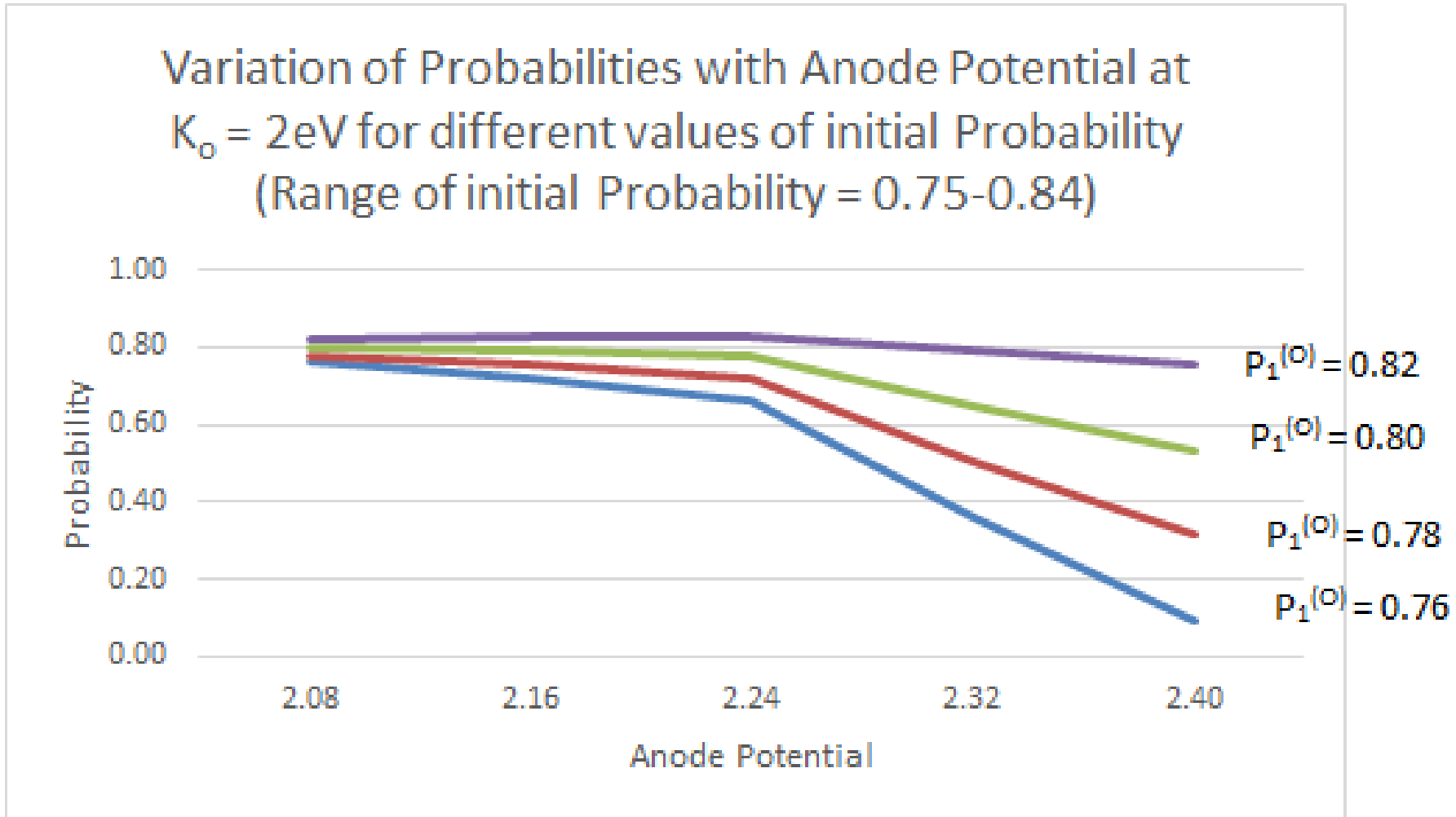
At  $K_o = 0$



At  $K_o = 1\text{eV}$



At  $K_o = 2eV$





At  $K_o = 2.75\text{eV}$

